



# R. K. GROUP OF COLLEGE

BEHIND KALWAR POLICE STATION, KALWAR, JAIPUR (RAJ.)

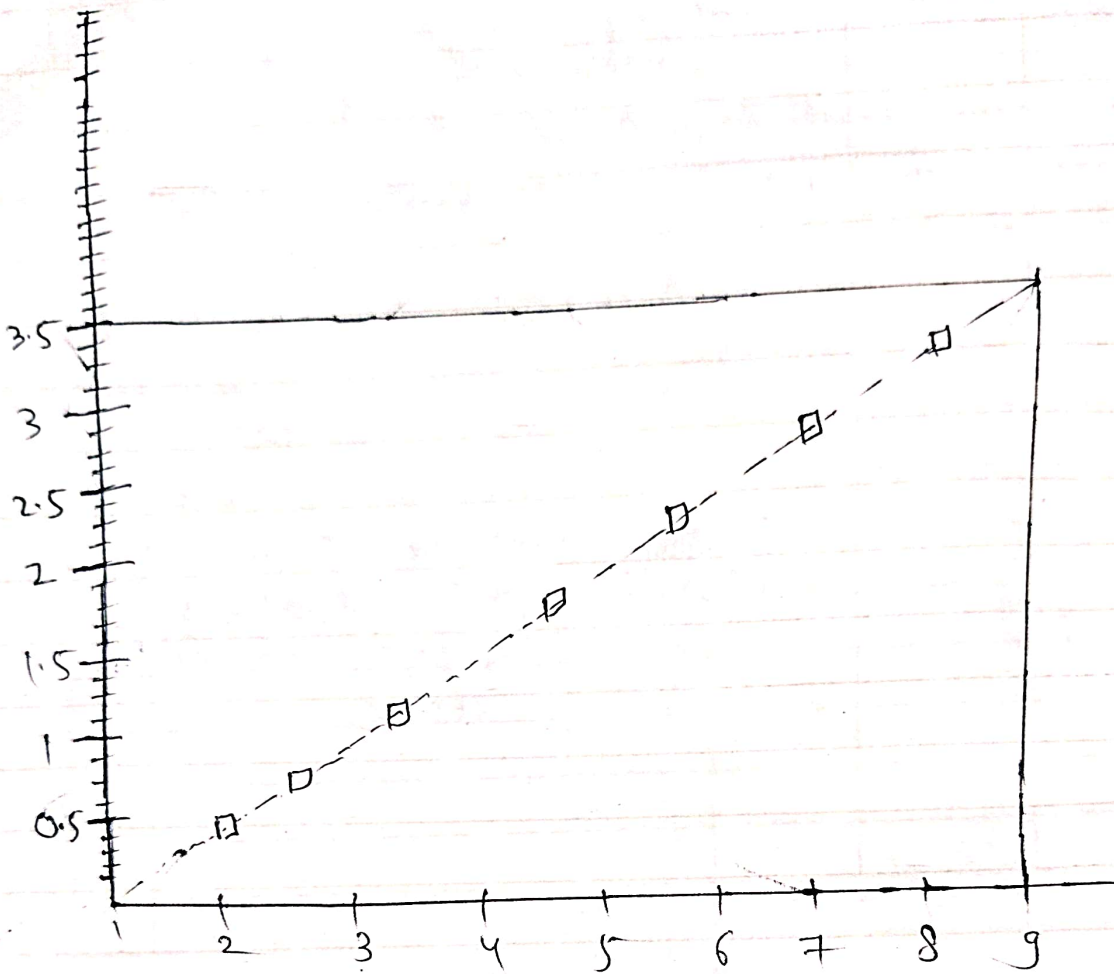




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8.	To find a real root of $f(x) = x^3 - 2x - 1 = 0$ by using newton - Raphson				







Object - Plot  $\sin x$  for  $x \in [0, 2\pi]$   
 Solution - Matlab Syntax:-

→  $x = \text{linspace}(0, 2 * \pi, 17);$

→ Plot -  $x \sin x$



# Graph Plotting

\* Plot  $[0, \pi]$  in eight subintervals in green dotted line with square mark

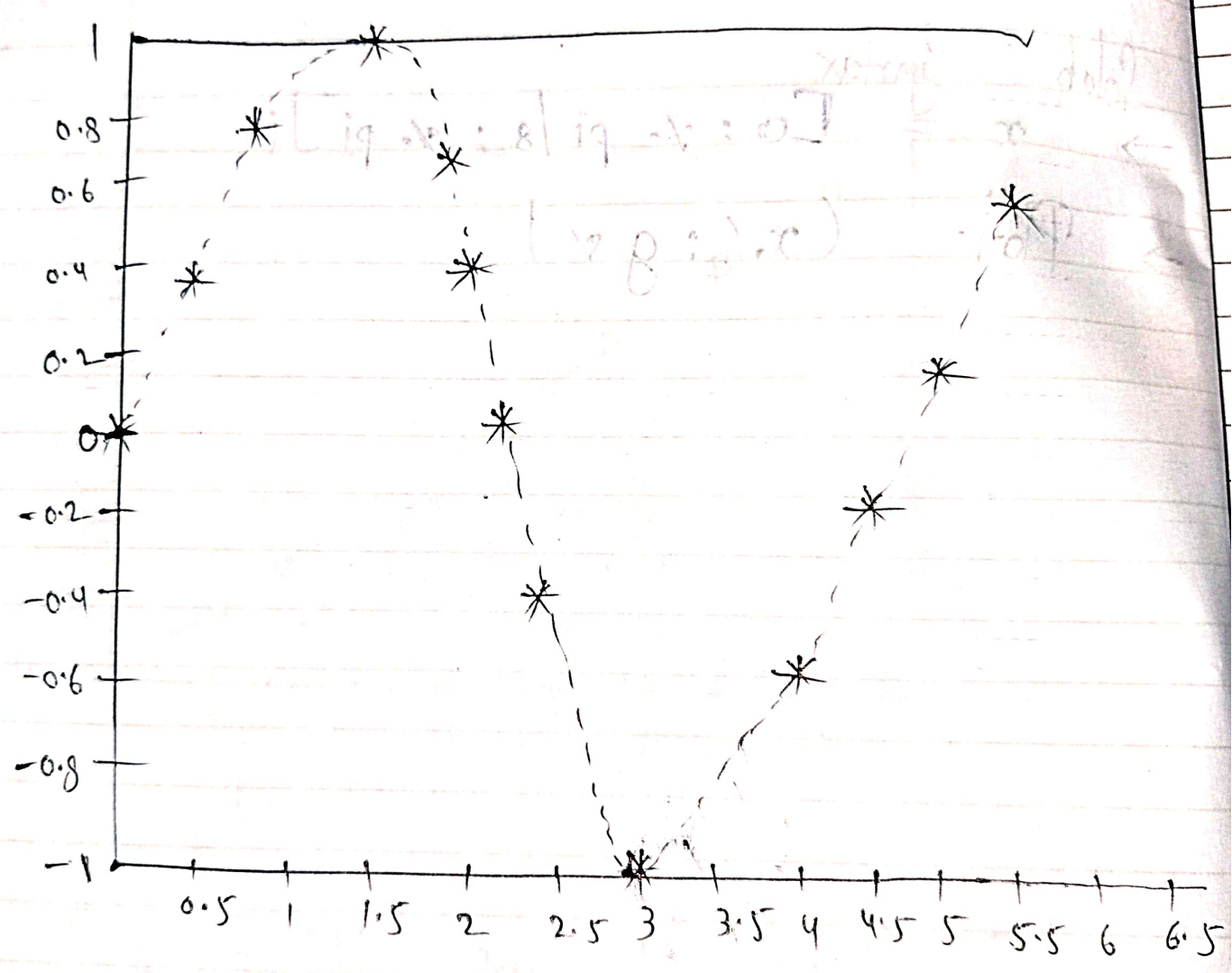
Solab Syntax

→  $x = [0 : \pi/8 : \pi]$

→ Plot (x, g(x))



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\* Object:- Plot  $\sin x$  for  $x \in [0, 2\pi]$

Scilab Syntax :-

→  $x = \text{linspace}(0, 2 * \pi, 17);$

→  $\text{plot}(x, \sin(x), 'g*')$

or  
→  $x = \text{linspace}(0, 2 * \pi, 17);$

→  $y = \sin(x);$

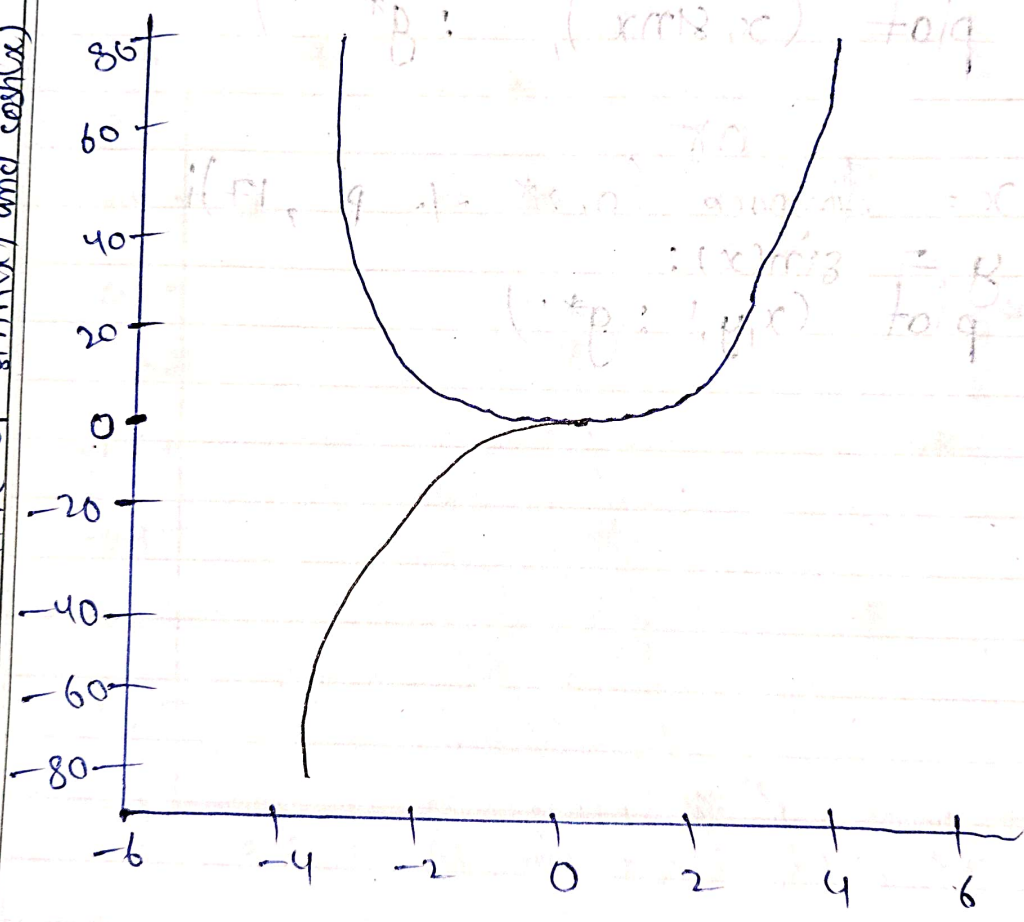
→  $\text{plot}(x, y, 'g*')$

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# Hyperbolic functions:

value of  $\sinh(x)$  and  $\cosh(x)$



- $\sinh(x)$
- $\cosh(x)$

\* Plot  $\sinh(x)$  and  $\cosh(x)$  for  $x \in [-5, 5]$   
Scilab syntax :-

→  $x = [-5 : 0.1 : 5]'$

→ Plot 2d(  $x$ , [ $\sinh(x)$ ,  $\cosh(x)$ ], [2, 3],  
log = ' $\sinh(x)$   $\cosh(x)$ ' )

→ x title ('hyperbolic functions', 'x' ;  
value of  $\sinh(x)$  and  $\cosh(x)$ ' )



# Matrix Algebra on Scilab

① Create a matrix  $P = \begin{bmatrix} 2 & -3 & 4 \\ 1 & 5 & 6 \end{bmatrix}$  on Scilab.

$$\rightarrow P = [2, -3, 4; 1, 5, 6]$$

$$P =$$

$$\begin{array}{ccc} 2. & -3 & 4. \\ 1. & 5. & 6. \end{array}$$

②  $\rightarrow P = \text{zeros}(2,3)$

$$P =$$

$$\begin{array}{ccc} 0. & 0. & 0. \\ 0. & 0. & 0. \end{array}$$

③ Diagonal Matrix —

$$\rightarrow P = \text{diag}([3, 4, 5])$$

$$P =$$

$$\begin{array}{ccc} 3. & 0. & 0. \\ 0. & 4. & 0. \\ 0. & 0. & 5. \end{array}$$

④ Identity Matrix -

$$\rightarrow I = \text{eye}(3,3)$$

$$I =$$

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$



## \* Operations on Matrix \*

$$\begin{aligned} \rightarrow A &= \begin{bmatrix} 4, 1 \\ 3, 2 \end{bmatrix} \\ B &= \begin{bmatrix} 1, -2 \\ 5, 3 \end{bmatrix} \\ C &= \begin{bmatrix} 5, 7 \\ 2, 9 \end{bmatrix} \end{aligned}$$

Addition  $\rightarrow A + (B + C)$

Output :

ans =

$$\begin{matrix} 10. & 6. \\ 10. & 14. \end{matrix}$$

Subtraction  $\rightarrow A - B$

output :

ans =

$$\begin{matrix} = & 3. & 3. \\ & -2. & -1. \end{matrix}$$

Multiplication  $\rightarrow A * (B * C)$

output :

ans =

$$\begin{matrix} 35. & 18. \\ 65. & 91. \end{matrix}$$

Transpose  $\rightarrow$ 

$$A = \begin{bmatrix} 4 & 1 \\ 3 & 2 \end{bmatrix}, A'$$

Output :

$$A =$$

$$4. \quad 1.$$

$$3. \quad 2.$$

$$A' =$$

$$4. \quad 3.$$

$$1. \quad 2.$$



\* Scilab of Complex Numbers \*

$$\rightarrow \begin{matrix} 1 \cdot i \\ i \end{matrix}$$

$$\rightarrow \begin{matrix} 1 \cdot i^2 \\ -1 \end{matrix}$$

$$\rightarrow \text{Complex } (2, 3)$$

$$2 + 3i$$

$$\rightarrow \frac{2 + 3 * 1 \cdot i}{2 + 3i}$$

$$\rightarrow \frac{(2 + 3 * 1 \cdot i) + (7 - 4 * 1 \cdot i)}{9 - i}$$

$$\rightarrow \frac{(-5 + 3 * 1 \cdot i) * (4 - 3 * 1 \cdot i)}{9 - i}$$

$$\rightarrow \frac{(-5 + 3 * 1 \cdot i) * (4 - 3 * 1 \cdot i)}{-11 + 27i}$$

$$\rightarrow \text{Complex} ([2 - 175], 3)$$

$$2+3i \quad -1+3i \quad 7+3i$$

$$\rightarrow c = \text{Complex}(2, 3) i$$

$$\rightarrow \text{Conj}(c)$$

$$2 - 3i$$

$$\rightarrow c = \text{Complex}(2, 3)$$

$$2+3i$$

$$\rightarrow \text{img}(c)$$

$$3$$

$\text{img}(c) =$  imaginary part of  $c$

$$\rightarrow \text{img}(c)$$

$$\rightarrow \text{real}(c)$$

$$2$$

$$\rightarrow \text{imult}(c)$$

$$-3+2i$$

$$\text{imult}(c) = i * (2+3i)$$

$$\rightarrow \text{isreal}(3)$$

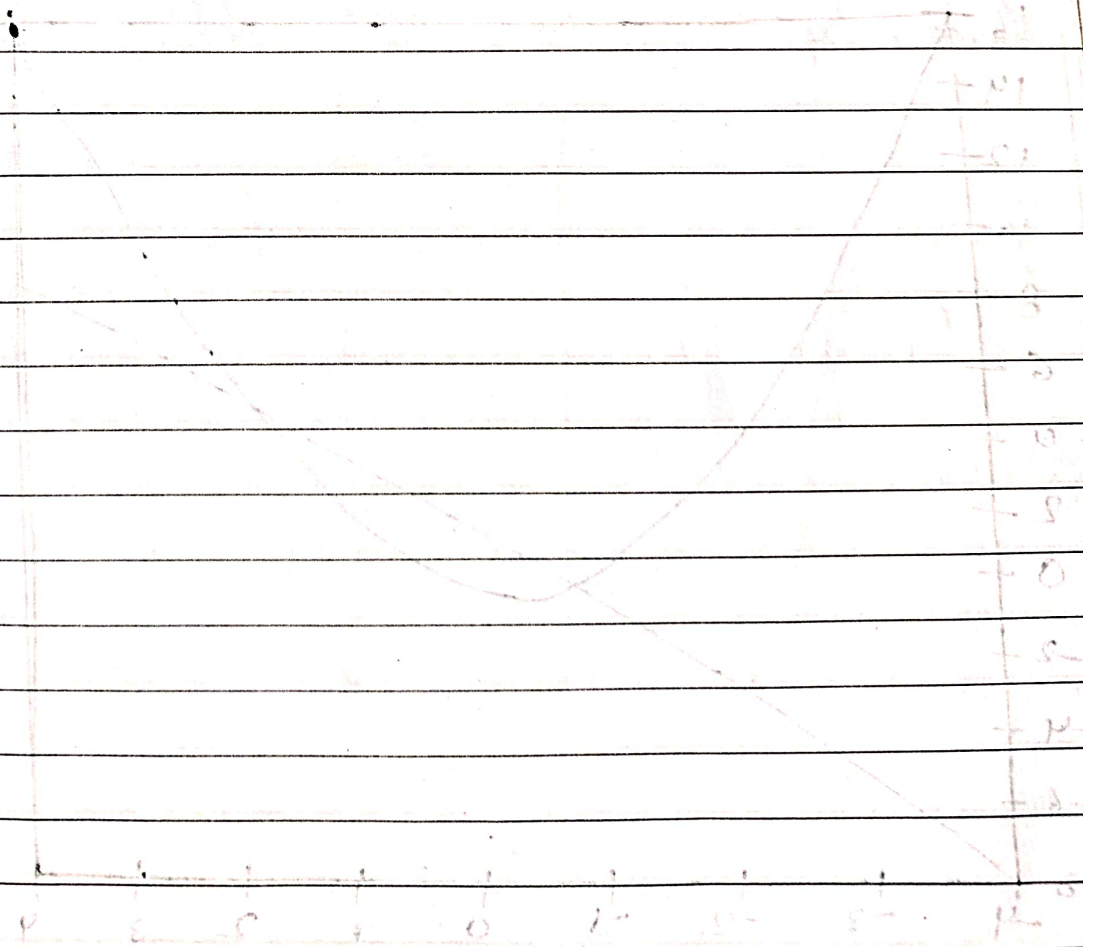
$$T$$

$$T = \text{true}$$



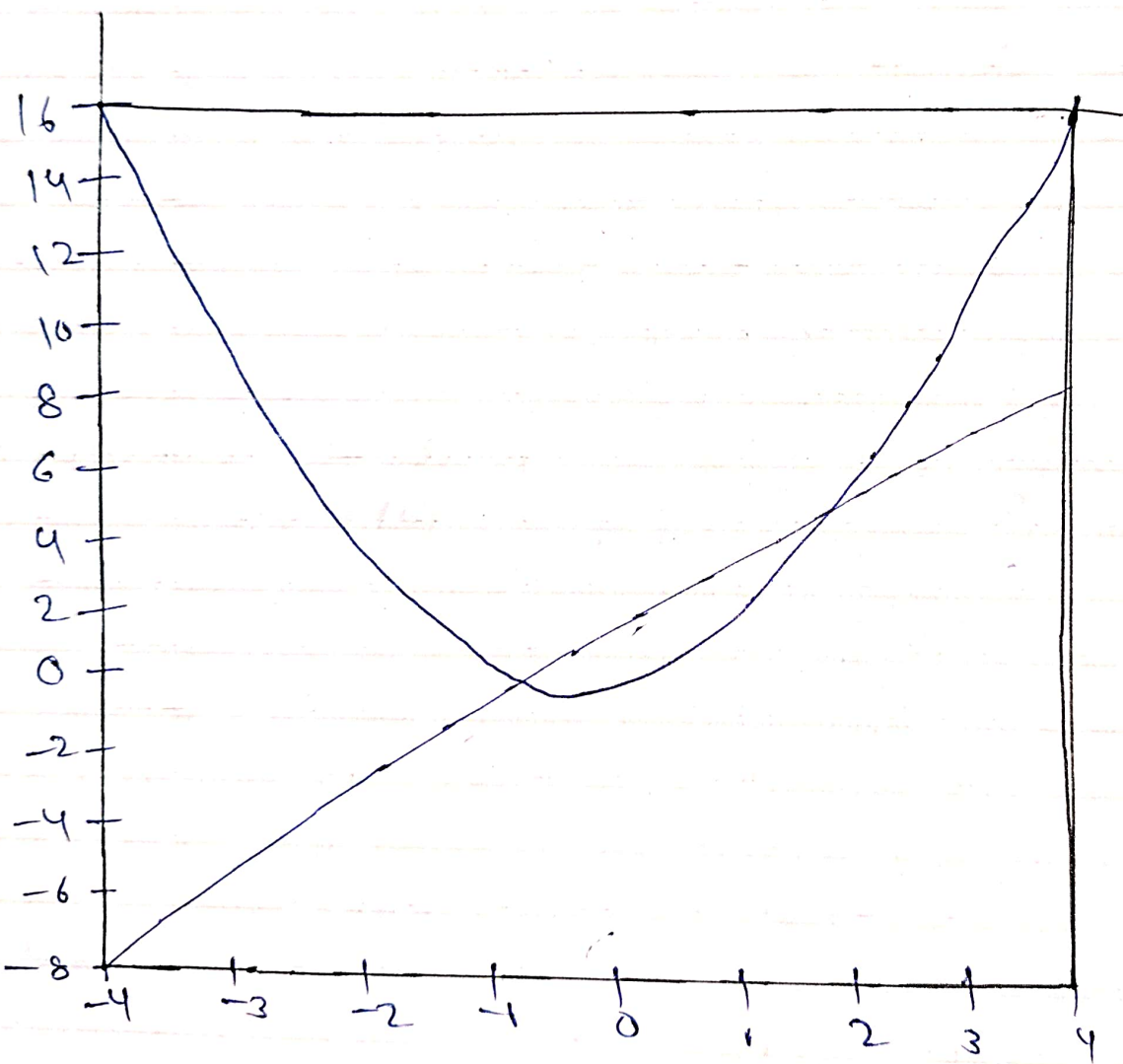
→ isreal (2+3\*7. i)  
F

[ is 2+3\*7. i true ]  
F = false



(1.07515) - 100121 ←

[ 100121 - 1.07515 ]



\* To plot Curve of  $n^2$  &  $n^{1/2}$  for  $n \in [-5, 5]$

$n = [-5:0.1:5]$   
 $\text{plot} = [n, (n^2, n^{1/2})]$

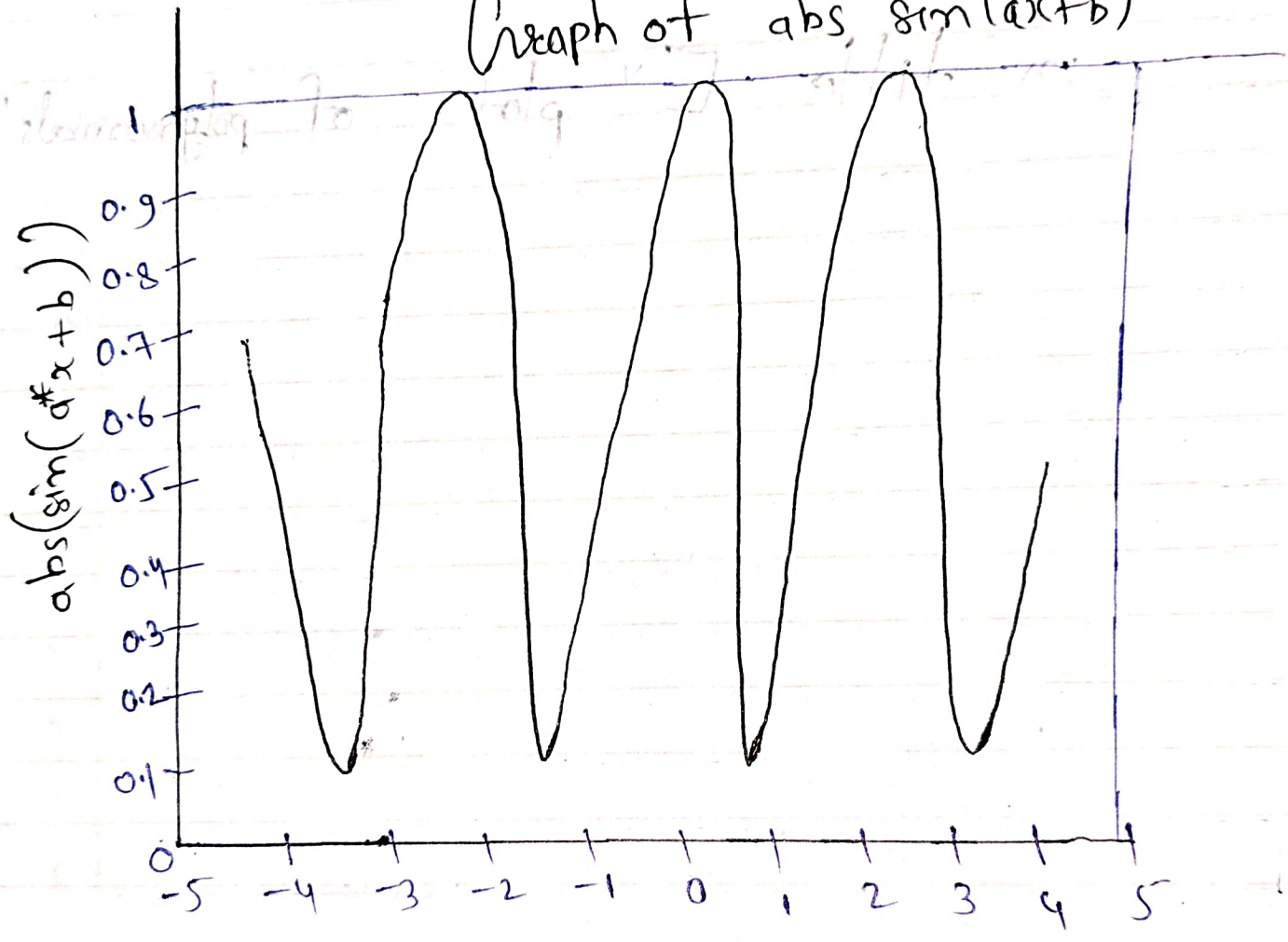
$n$  title ["plot of polynomials"]



not work on  $\pi$  (value)  $\text{folg}$  of  $[\pi, 2\pi]$  etc

$[2\pi, 4\pi]$  etc  
 $[(2\pi, 4\pi), (4\pi, 6\pi), \dots] = \text{folg}$

### Graph of $\text{abs} \sin(ax+b)$



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\* To plot graph of  $\sin(ax+b)$  :-

// graph of  $\text{abs} \sin(ax+b)$

clf;

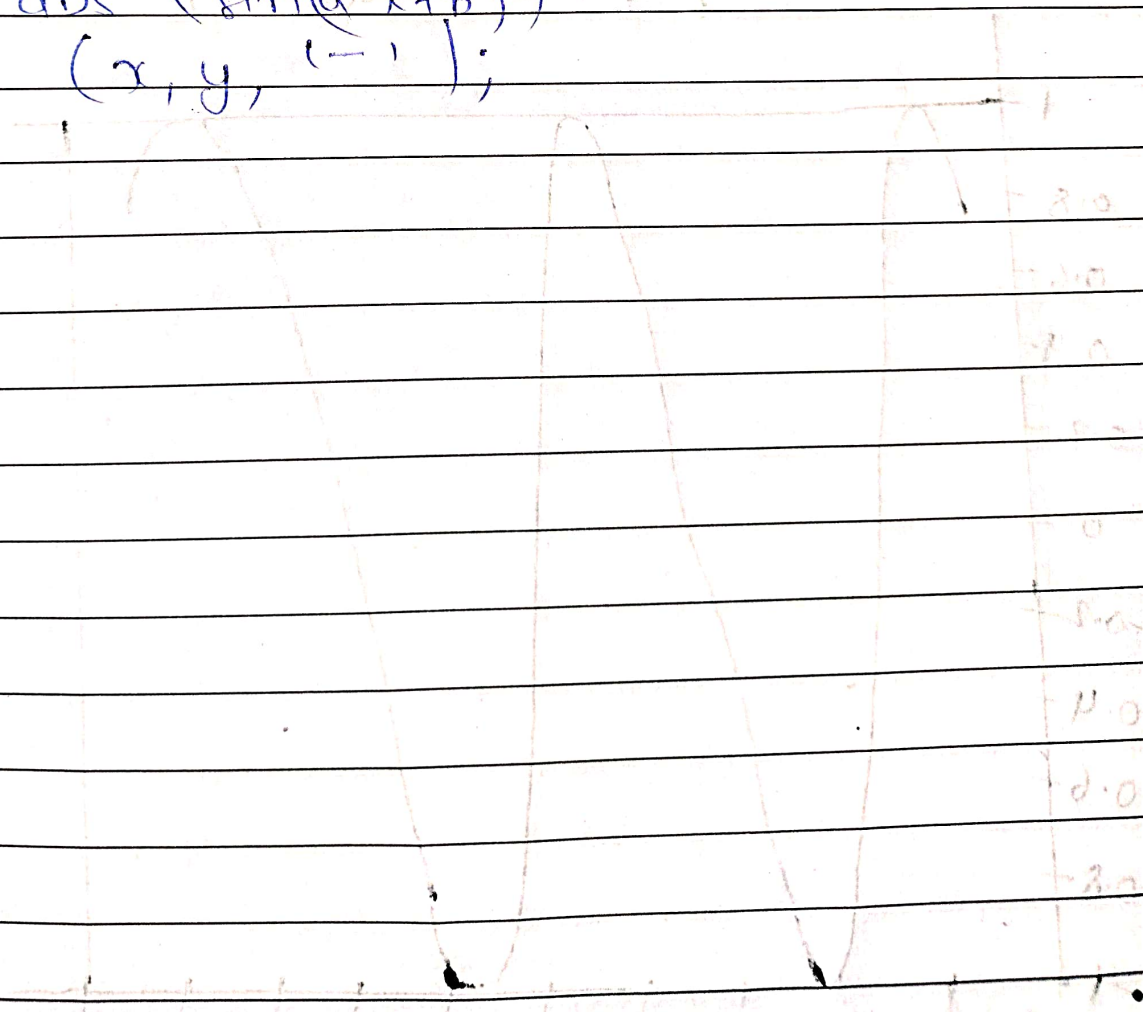
x = (-5:0, 1:5)

a = 2;

b = 3;

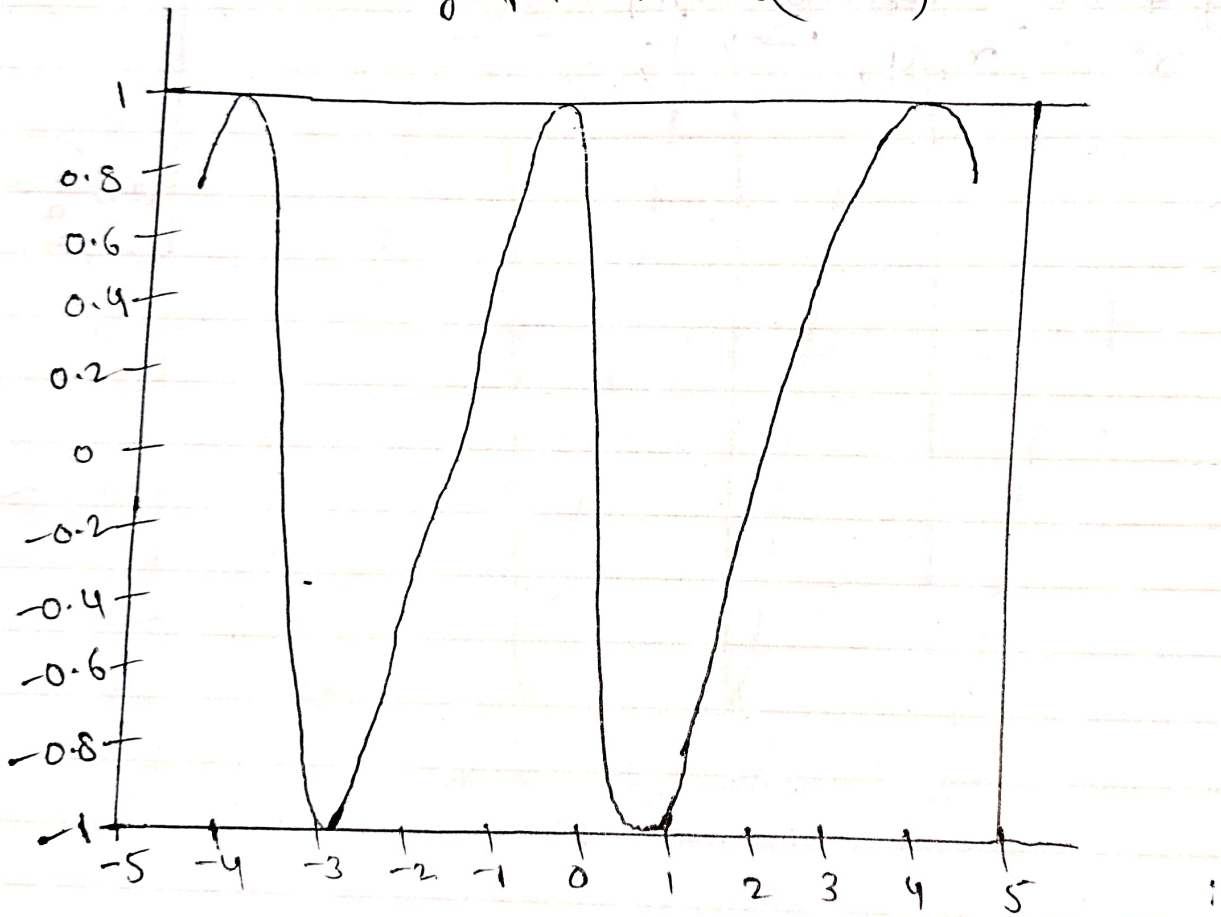
y = abs(sin(a\*x+b))

plot(x, y, '-');



(d) rise to deep ...  
... to deep ...

graph of  $\cos(ax+b)$





\* To plot graph of  $\cos(ax+tb)$  :-

// graph of  $\cos(ax+tb)$

cf;

$$x = [-5:0, 1:5];$$

$$a = 2;$$

$$b = 3;$$

$$y = \cos(a*x + b)$$

Plot  $(x, y, 'r')$ .

\* To find a real root of  $f(x) = x^3 - 2x - 1 = 0$  by Newton-Raphson method or Newton's method using a scilab program.

Scilab Program

$$\therefore x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$$

where  $n = 1, 2, 3, \dots$

$$\text{pta} \quad \therefore f(x) = x^3 - 2x - 1 = 0$$

$$f(1) = -2 < 0$$

$$f(2) = 3 > 0$$

→ disp("f(1) < 0, and f(2) > 0, so root lies in (1, 2) and we take  $x(1) = 1.5$  as initial approximation")

$$\rightarrow x(1) = 1.5$$

→ n = input("Enter number of iteration n = ")

→ def f (" a=f(x)", " a = x^3 - 2\*x - 1")

→ def g (" b=g(x)", " b = 3\*x^2 - 2")

→ for i = 1:n

→ x(i+1) = x(i) - (f(x(i)) / g(x(i)))

→ end

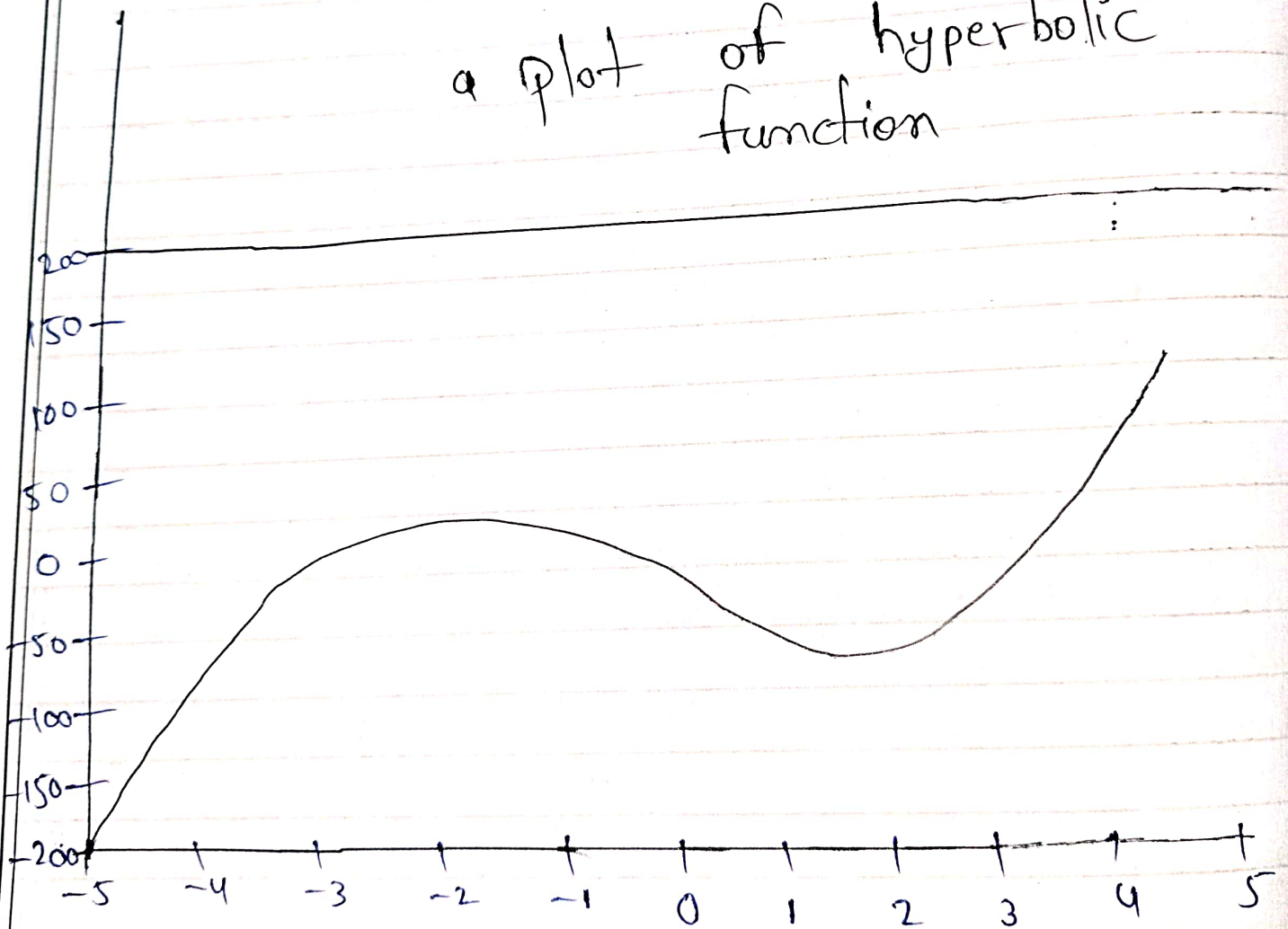
→ disp (" The approximated value of root is x = ", x(i+1))

" f(1) < 0 & f(2) > 0, so root lies in (1,2) and we take x(1) = 1.5 as initial approximation enter number of iterations, n = 7

" The approximated value of root is  
x = 1.6180340



a plot of hyperbolic function



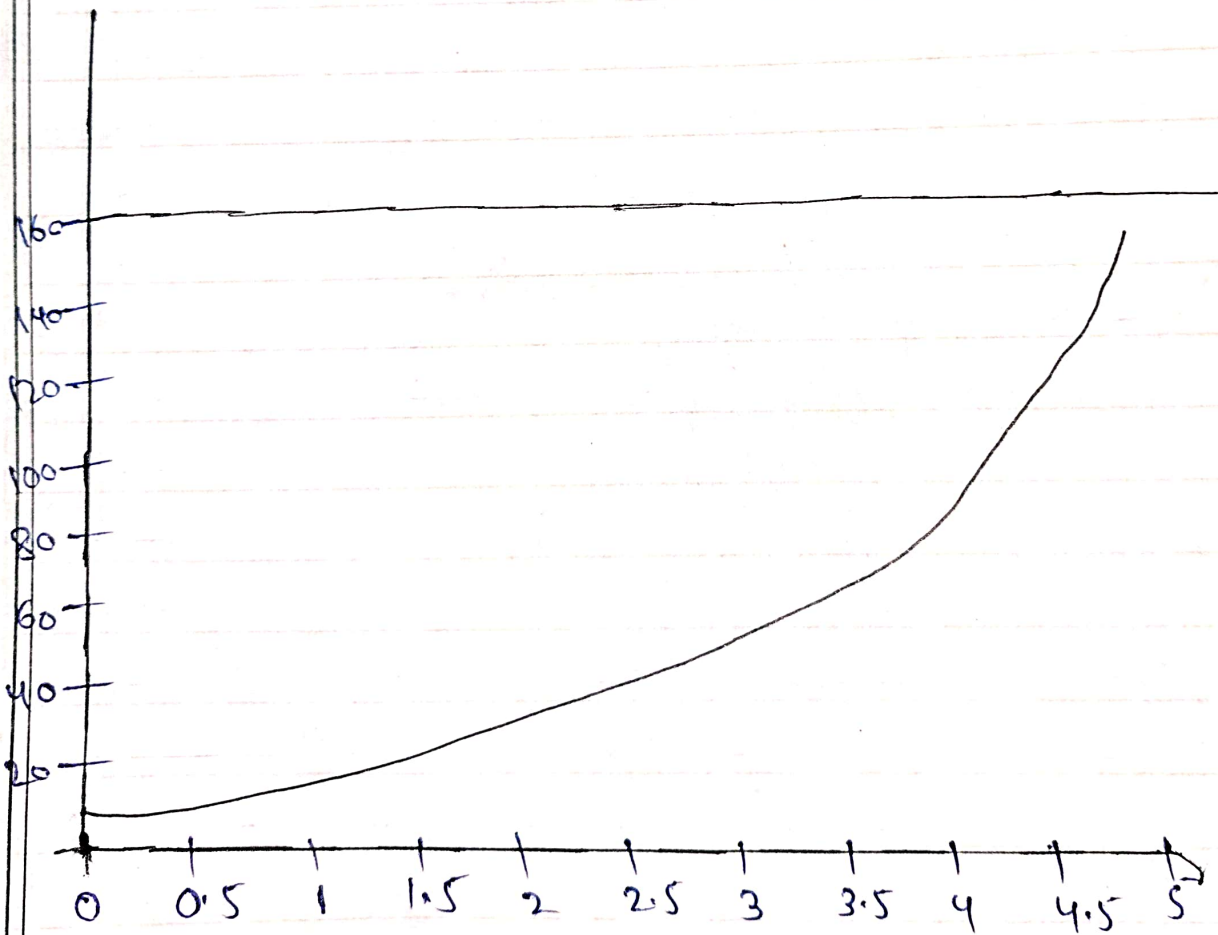
\* To plot Curve of  $\cosh(x)$  for  
 $n \in [-2\pi, 2\pi]$

$n = [-2 * \pi ; 0.1 : 2 * \pi]$  ; /

Plot  $[n, \cosh(x)]$  ;

n title [" a plot of  
hyperbolic function"]

a plot of exponential  
Curve



No. of 0 to 5

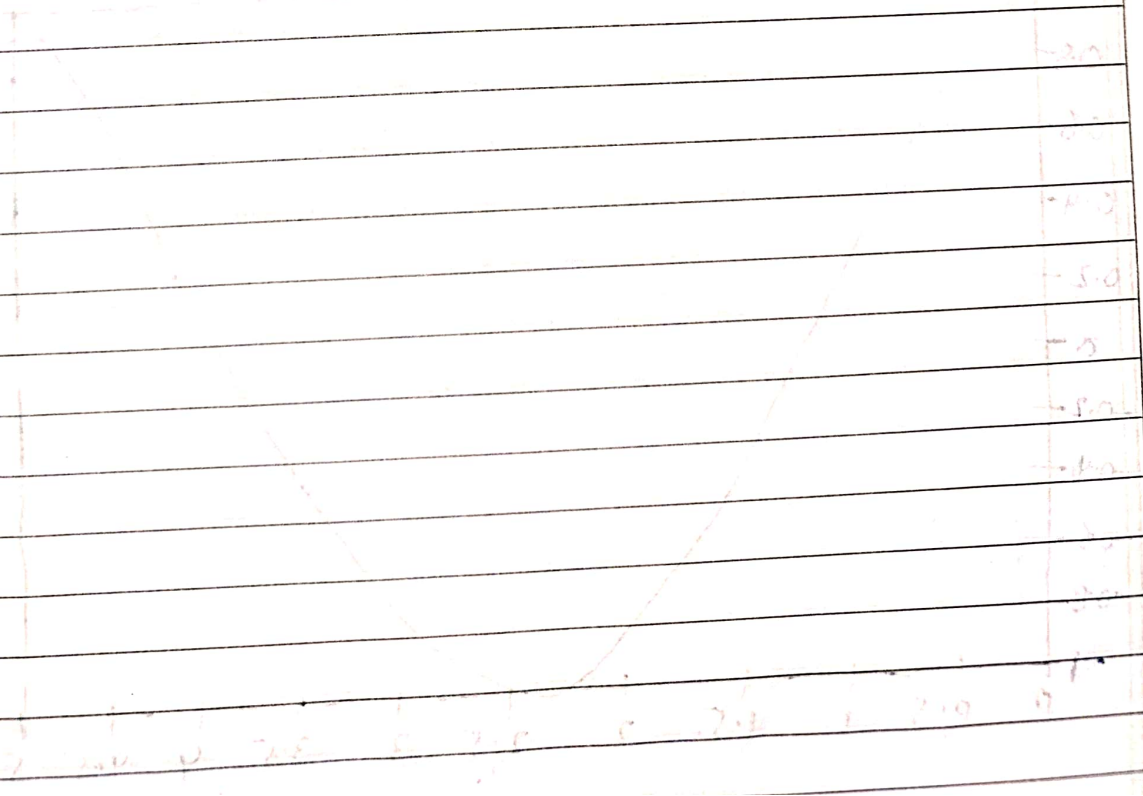


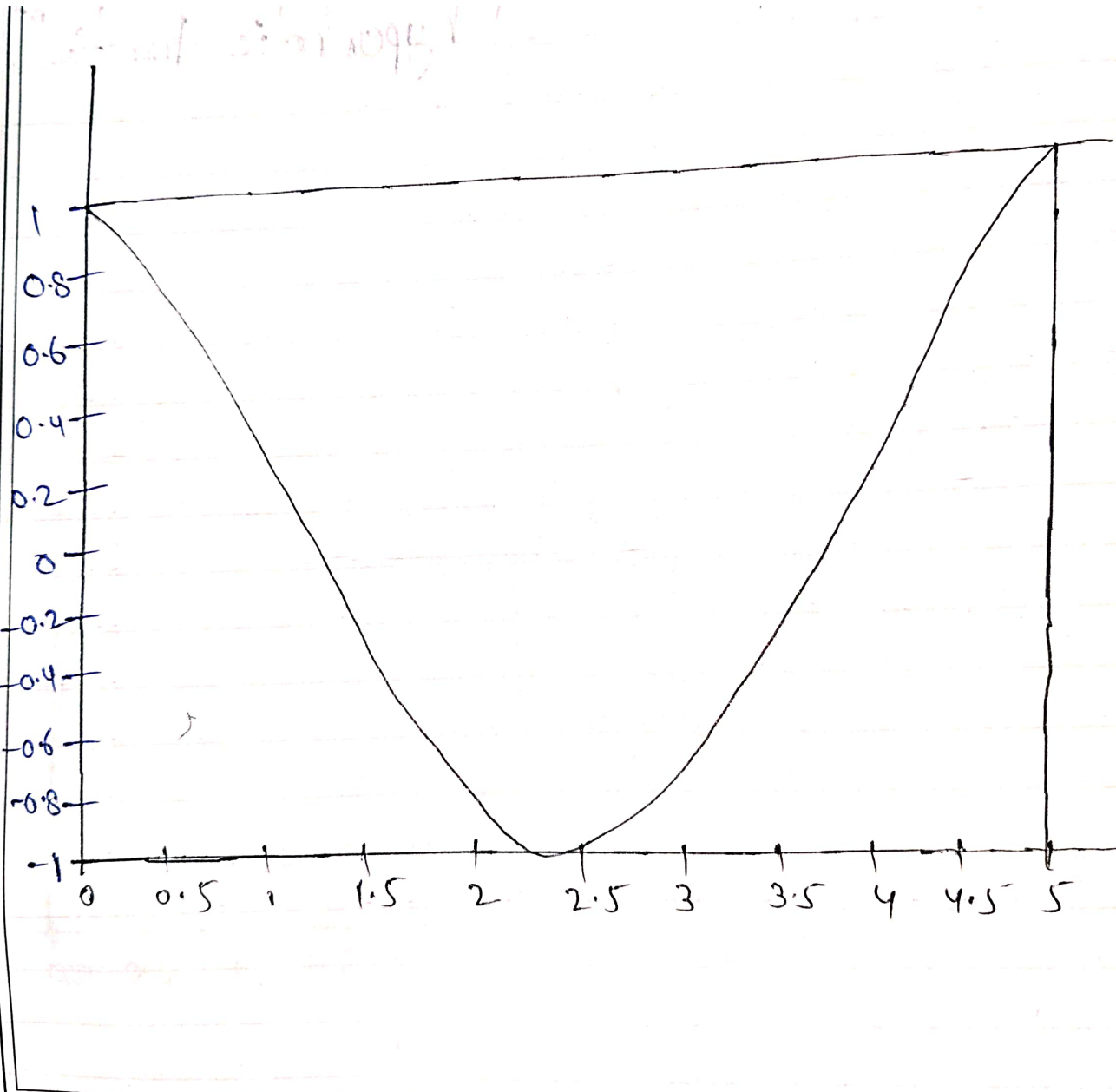
\* To plot Curve of  $\sinh(x)$  for  
 $x \in [-2\pi, 2\pi]$

$n = [-2 * \pi : 0.1 : 2 * \pi]$ ;

Plot  $[n, \sinh(x)]$

n title ["a plot of  
hyperbolic function"]





\* To plot Curve of  $\sin(x)$  and  $\cos(x)$  for  $x \in (0, 2\pi)$

1. clf

2.  $n = [0:0.1:2 * \pi]$

3. Plot  $[n, \sin(x), \cos(x)]$

4. n title ["a plot of trigonometric function"]

5. n label ["angles (radian)"]

6. n label ["sin(x), cos(x)"]



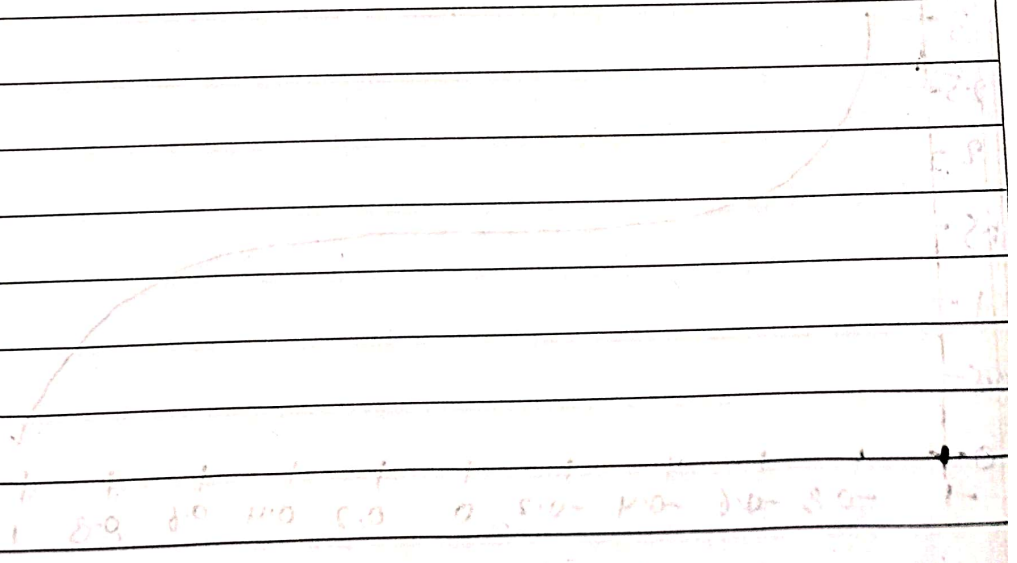


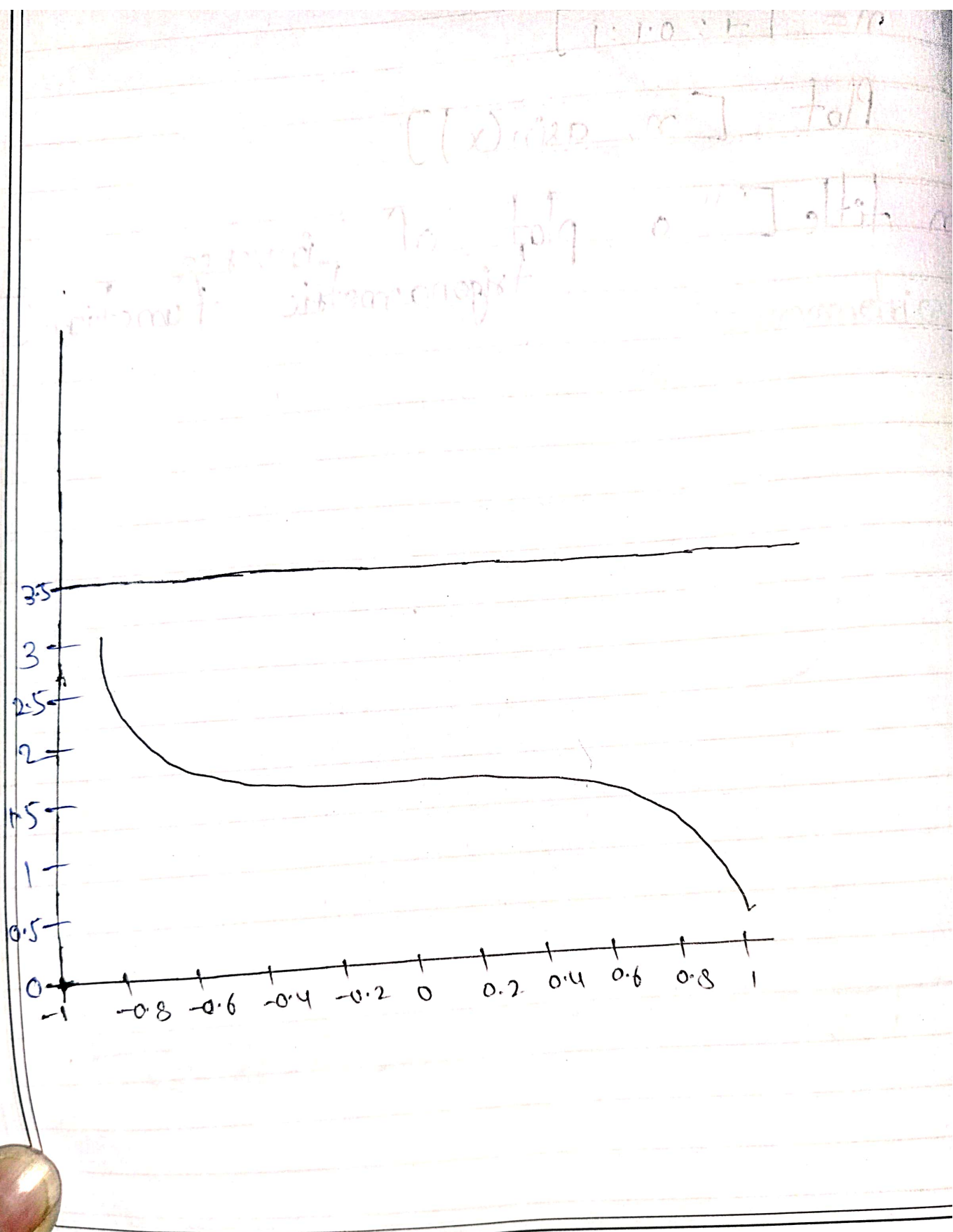
\* To plot curve of  $\sin^{-1}(x)$  for  
 $x \in [-1, 1]$

$$n = [-1:0.1:1]$$

Plot  $[n, \arcsin(x)]$

n title ["a plot of inverse  
trigonometric function"]





$[x \text{ axis}] = \frac{1}{10}$

$[y \text{ axis}] = \frac{1}{10}$





\* To plot curve of  $\cos^{-1}(x)$  for  
 $x \in [-1, 1]$

$$x = [-1 : 0.1 : 1];$$

Plot  $[x, \arccos(x)]$

x title ["a plot of inverse  
trigonometric function"]

\* Solving linear programming problems by using inbuilt functions of scilab.

Consider the linear program:

$$\text{Minimize } -20 \cdot x_1 - 24 \cdot x_2$$

such as:

$$3 \cdot x_1 + 6 \cdot x_2 \leq 60$$

$$4 \cdot x_1 + 2 \cdot x_2 \leq 32$$

$$x_1, x_2 \geq 0$$

The solution is

$$x_{\text{star}} = [4; 8];$$

with karmarkar

The following script solves the problem with the karmarkar function.

$$c = [-20 \quad -24]';$$

$$A = [$$

$$3 \quad 6$$

$$4 \quad 2$$

$$];$$

$$b = [60 \ 32]^T;$$

$$lb = [0; 0];$$

$$[xopt, fopt, exitflag, iter, yopt]$$

$$= \text{karmarkar}([\ ], [\ ], c, [\ ], [\ ], [\ ], [\ ], A, b, lb)$$

The previous script produces the following output.

$$\rightarrow [xopt, fopt, exitflag, iter, yopt]$$

$$= \text{karmarkar}([\ ], [\ ], c, [\ ], [\ ], [\ ], [\ ], [\ ], A, b, lb)$$

$$yopt =$$

$$\text{ineqlin} : [2 \times 1 \text{ constant}]$$

$$\text{eqlin} : [0 \times 0 \text{ constant}]$$

$$\text{lower} : [2 \times 1 \text{ constant}]$$

$$\text{upper} : [2 \times 1 \text{ constant}]$$

$$\text{iter} =$$

66.



$$\text{exitflag} =$$

$$f_{\text{opt}} =$$
$$- 271.99746$$

$$x_{\text{opt}} =$$
$$2.9998866$$
$$7.9999887$$

With `linpro`  
The following script allows to solve the  
problem with the `linpro` function.

$$c = [-20, -24];$$

$$A = \begin{bmatrix} 3 & 6 \\ 4 & 2 \end{bmatrix};$$

$$b = [60; 32];$$

$$ci = [0; 0];$$

$$cs = [0; 0];$$

$$\begin{bmatrix} x_{opt} \\ cs \end{bmatrix}, \text{lagr}, \text{fopt} = \text{linpro}(c, A, b, ci)$$

This produces:

$$\begin{bmatrix} x_{opt} \\ cs \end{bmatrix}, \text{lagr}, \text{fopt} = \text{linpro}(c, A, b, ci)$$

$$\text{fopt} =$$

- 272.

$$\text{lagr} =$$

0.  
0.  
3.111111  
2.666667

$$x_{opt} =$$

4.  
8.